

Bloch Oscillations of Hybrid Light-Matter Particles in a Waveguide Array

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Bloch oscillations are a phenomenon well known from quantum mechanics where electrons in a lattice experience an oscillatory motion in the presence of an electric field gradient. Here, the authors report on Bloch oscillations of hybrid light–matter particles, called exciton-polaritons (polaritons), being confined in an array of coupled microcavity waveguides. To this end, the waveguide widths and their mutual couplings are carefully designed such that a constant energy gradient is induced perpendicular to the direction of motion of the propagating polaritons. This technique allows us to directly observe and study Bloch oscillations in real- and momentum-space. Furthermore, the experimental findings are supported by numerical simulations based on a modified Gross–Pitaevskii approach. This work provides an important transfer of basic concepts of quantum mechanics to integrated solid state devices, using quantum fluids of light.

1. Introduction

Already in the early days of quantum mechanics, the motion of particles in a periodic potential under the action of a constant

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force was investigated extensively to understand electrical currents induced by external fields acting on solid materials. But in contradiction to the classical expectation, particles did not follow the direction of the driving force but instead performed an oscillatory motion, so-called Bloch oscillations.^[1] It was soon understood that those Bloch oscillations occur because the external force causes the particle to gain momentum, thus changing their location inside the Brillouin zone. This motion in momentum space continues going even beyond the edge of the Brillouin zone. Since the band structure is periodic, the initial field distribution is recovered after one crossing of the Brillouin zone. Therefore, one observes

an oscillatory motion but no net shift of the particle in real space. In order to explain the motion of electrons in a crystalline lattice under the action of a dc electric field, this single band picture had to be extended to take into account the coupling to other bands, an effect known as Zener tunneling.^[2] While originally predicted in the context of electrons in crystals, Bloch oscillations were also extensively investigated in different physical systems, including electrons in semiconductor superlattices,^[3] cold atoms in optical lattices,^[4–6] and phonons in acoustic microcavities.^[7]

Additionally, many effects originally predicted in solid-state physics have been observed in optics by monitoring light propagation in photonic lattices. Also 1D optical Bloch oscillations were observed in arrays of coupled dielectric waveguides with a transversely superimposed linear ramp of the effective index.^[8,9] Later, similar experiments were also performed in silica^[10] and plasmonic^[11] waveguide arrays. In all cases, a periodic distribution of the refractive index plays the role of the crystalline potential, and the gradient of the effective indices of the waveguides acts similar to an external force in a quantum system. It causes the beam to move across the waveguide array where it experiences Bragg reflection on the high-index and total internal reflection on the low-index side of the structure, resulting in an optical analogue of Bloch oscillations. When many-body effects induce nonlinear dynamics, physics becomes even richer. Several experiments with quantum fluids of light, using periodic potentials, have observed such intriguing phenomena as the Mott insulator transition^[12] or a breakdown of superfluidity in atomic Bose–Einstein condensates.^[13] Hybrid light-matter states are particularly interesting here, since they match the

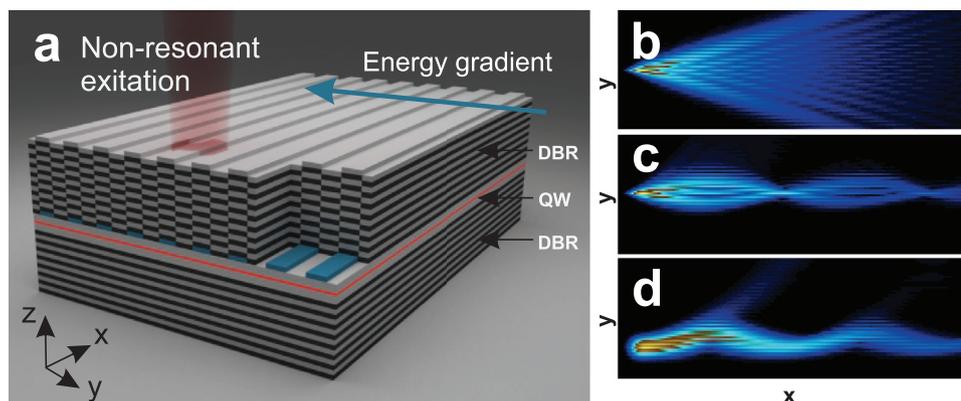


Figure 1. a) Schematic of the etch-and-overgrowth microcavity waveguide array investigated here. The red layer indicates the quantum well stacks placed between two DBR mirrors. The blue areas indicate the waveguide structures etched into the cavity layer. b) Simulated propagation of a polariton condensate, along the x -direction, excited in a single waveguide in a homogeneous waveguide array with no energy gradient. The characteristic fan-like pattern of discrete diffraction can be observed. c,d) Simulated propagation of a condensate inside a coupled waveguide array with a potential gradient in y -direction and excited in a single waveguide or multiple waveguides, respectively. While for the excitation in a single waveguide the intensity undergoes a refocusing of the intensity, for multiple waveguide excitation the intensity shows a sinusoidal oscillation pattern.

before mentioned properties in an excellent way. Microcavity exciton-polaritons (polaritons) as hybrid light-matter particles, arise from the strong coupling of a photonic cavity mode (light) and a quantum well exciton (matter). They inherit a unique combination of properties from their part-light, part-matter nature, most notably a small effective mass inherited from the photonic component, as well as the ability to interact from the excitonic component. Consequently, they have been described as quantum fluids of light.^[14] After the first demonstration of the strong-coupling regime,^[15] and the possibility to witness a phase transition to a macroscopic occupation of a single polariton ground state, referred to as polariton condensation,^[16] researchers have soon begun to study propagating polaritons in different waveguiding settings. It turned out that the hybrid nature of exciton-polariton systems allows for a unique insight into the dynamics of that coupled system by monitoring simultaneously the evolution in real and momentum space combined with a high spectral resolution.

2. Free Propagation of Microcavity Polaritons and Propagation Within Waveguides

Propagating exciton-polaritons show one of the most spectacular phenomena of quantum fluids, namely superfluidity,^[17,18] manifesting itself as the suppression of scattering from defects when the flow velocity is less than the speed of sound in the fluid. For larger flow velocities the perturbation induced by the defect gives rise to turbulent emission of quantized vortices and to the nucleation of solitons.^[19–22] Further experimental investigations of the coherently driven semiconductor microcavities provide the evidence of polariton droplets moving on top of the condensate background with a velocity as high as $1.2 \times 6 \text{ m s}^{-1}$ (cf. refs. [20,23]). Furthermore, it was found that the strong repulsive force between microcavity polaritons, originating from exciton–exciton interaction results in a substantial nonlinearity, which causes a density dependent blue shift of the exciton resonance^[24] and can be exploited to force polaritons to

propagate along a single waveguide,^[25] or waveguide coupler devices.^[26] Quite recently, the realization of polariton waveguides using perovskite materials at room temperature has rekindled the interest in such devices.^[27]

So far, very few papers have been devoted to theoretical studies of Bloch oscillations of polaritons in solid-state devices. However, the required conditions and stability of Bloch oscillations have been theoretically estimated for a 1D lattice embedded into a semiconductor resonator operating in the strong light-matter coupling regime.^[28,29] Here, we implement a 1D waveguide array for exciton-polaritons, supporting a significant gradient perpendicular to the direction of motion, unequivocally demonstrating polariton Bloch oscillations. Additionally, we develop a theoretical framework, to model the experiments presented in this work.

Creating a desired coupling between waveguides has been a challenge in various material platforms. In this work, we take advantage of the etch-and-overgrowth technique which allows for a large range and precise control of the coupling strength between two adjacent trapping potentials.

3. Experimental Setup

The specific sample designed and investigated for this work consists of 37 bottom and 32 top $\text{Al}_{0.2}\text{Ga}_{0.8}\text{As}/\text{AlAs}$ mirror pairs. As active material two stacks of four GaAs quantum wells with an exciton energy of $E_X = 1.614 \text{ eV}$ and a width of 7 nm, were embedded in the structure. The stacks were positioned in the antinode as well as the first bottom mirror pair of the AlAs $\lambda/2$ -cavity to maximize their overlap with the electric field. In this approach, the molecular beam epitaxial growth is stopped after the bottom distributed Bragg-reflector (DBR) and the cavity layers have been grown. Subsequently, waveguide arrays are patterned into a spacer layer using an electron-beam lithography process followed by a wet etch step. During this etch step the actual cavity length is reduced resulting in a blue shifted potential in the etched area. This acts as a potential

barrier between the patterned waveguides, where the barrier height can be tuned accurately with an etch depth of nanometer precision. To complete the vertical confinement another DBR is epitaxially grown on top. In the samples employed in this study, the etch depth is of the order of 10 nm resulting in a confinement potential of approximately 6.7 meV. A rendered schematic of the cavity is shown in **Figure 1a**, here the patterning of the cavity is highlighted without the top mirror. It has been previously shown that the method is well suited to create high-quality polariton waveguides,^[30] as well as its suitability to accurately control coupling between adjacent sites.^[31] The Rabi splitting of the sample was determined using a white light reflectivity measurement at 10 K to 11.5 meV. By measuring the photoluminescence (PL) of a photonic detuned area of the sample the quality factor of the wafer could be extracted to $Q \approx 7500$.

The spectroscopic results presented in this work were measured using momentum-resolved PL spectroscopy. The sample was placed inside a liquid helium flow cryostat and kept at $T = 4.2$ K. Laser excitation was provided using a tunable continuous wave Ti:sapphire laser, set to the energy of 1.684 eV corresponding to the first high-energy Bragg minimum. The pump spot was focused via a microscope objective with a numerical aperture $NA = 0.42$ to a diameter of approximately $3 \mu\text{m}$. The detection path of the setup allowed for real-space as well as momentum-resolved measurements. By motorizing a lens in the detection path it is possible to make a full tomography of the real space and emission energy $E_{\text{PL}}(x, y)$. By using a real space focus plane, the PL could be spatially selected before conversion into Fourier space. The emission is then energy-resolved by a Czerny–Turner monochromator and detected on a 1024×1024 pixel charge-coupled device camera, cooled down to $-75 \text{ }^\circ\text{C}$ by a Peltier cooler.

4. Engineering of Coupled Polariton Waveguide Arrays

In **Figure 1a**, a sketch of a homogeneous waveguide array (blue) patterned into the cavity layer is depicted. The propagating polariton condensate is formed using non-resonant laser excitation. The gradient needed to invoke Bloch oscillations in this waveguide array is oriented in y -direction, perpendicular to the propagation direction. While the use of Gross–Pitaevskii models has been fairly well established for exciton-polaritons in the past, we have successfully expanded these models to take into account sophisticated lattice potentials.^[32,33] By tuning the gradient, coupling properties and excitation conditions, different regimes of propagation patterns can be achieved. Such patterns for a propagating polariton condensate are calculated in **Figure 1b–d**. In **Figure 1b**, the propagation for a homogeneous (vanishing gradient) waveguide array, where a fan-like pattern typical for discrete scattering emerges, is displayed. Additional experimental data can be found in the Supporting Information. Note that due to the forward propagation of the condensate a fast temporal evolution is transformed into a spatial distribution which can be detected rather easily. Hence, we expect to see Bloch oscillations to unfold in real space, which is also confirmed by respective simulations. In **Figure 1c,d** an

energy gradient in the y -direction is applied with excitation on a single waveguide and multiple waveguides, respectively. For a single waveguide excitation, the intensity couples to the neighboring waveguides before being refocused to a single spot. This behavior is a typical fingerprint of Bloch oscillations and of the transformation of extended Bloch waves into localized Wannier states due to the action of the linearly growing potential. As all energy eigenstates are equally spaced in a so-called Wannier–Stark ladder, every excitation must recover after a finite evolution time or propagation length, respectively. Hence, if a single waveguide is excited (see **Figure 1c**) the field must refocus after a Bloch period. In contrast, pronounced sinusoidal oscillations are observed for an excitation of several waveguides (see **Figure 1d**).

To achieve a sizeable and controllable gradient in the energy landscape in a polariton system, either the excitonic or photonic component of the exciton-polariton can be altered. Here, the advantage of the etch-and-overgrowth technique comes into play, allowing control of the width and position of the waveguides with remarkable e-beam lithography precision while preserving an extended mode distribution due to the highly controllable and shallow photonic barrier in comparison to traditional dry etch techniques, for example employed in ref. [34].

Figure 2 displays different waveguide arrays under investigation including experimentally detected momentum-resolved energy spectra. We start with a homogeneous array (without gradient) displayed in **Figure 2a** with a lattice constant of $a = 2.8 \mu\text{m}$ and a waveguide width of $d = 2 \mu\text{m}$. Its dispersion along the y -direction is depicted in **Figure 2b**. Here, the coupling between the photonic modes results in the formation of a band structure where each waveguide mode gives rise to an individual band. The curvature of each band is determined by the coupling between the waveguides. With increasing mode number and energy, the extension of the modes into the barrier increases, therefore enhancing the coupling. While the two lowermost S – and P – modes are nicely confined, the D-mode is already at the same energy level as the barrier, indicated by the low-intensity parabola at $E_{\text{barr}}(k_y = 0) \approx 1.601$ eV. Following the linear wave approximation, propagation constants of waveguide modes are unambiguously related to their energies. In order to create the required transverse gradient, we therefore modified the widths of the waveguides such that the propagation constants of the ground modes for the fixed energy decreased accordingly. By keeping the center-to-center lattice constant at $a = 2.8 \mu\text{m}$ but gradually increasing the width of the waveguides the energy levels were tuned similar to a ladder (see **Figure 2c**). The resulting spatially-resolved energy landscape for the different modes and for both arrays is displayed in **Figure 2d** showing a linear gradient, in comparison to the very small gradient of the homogeneous lattice originating from the epitaxial growth.^[35] Respective eigenstates are represented in **Figure 2e** by spectrally and spatially resolving the emitted PL of the P-mode (see **Figure 2d**). Numerically determined Wannier–Stark states for such a gradient-engineered waveguide array are depicted in **Figure 2f**. We find all field profiles to be completely localized and to have approximately the same shape. States of different energies differ only with respect to their position on the energetically inclined lattice. If several of these states are excited, their spatial extension defines the elongation

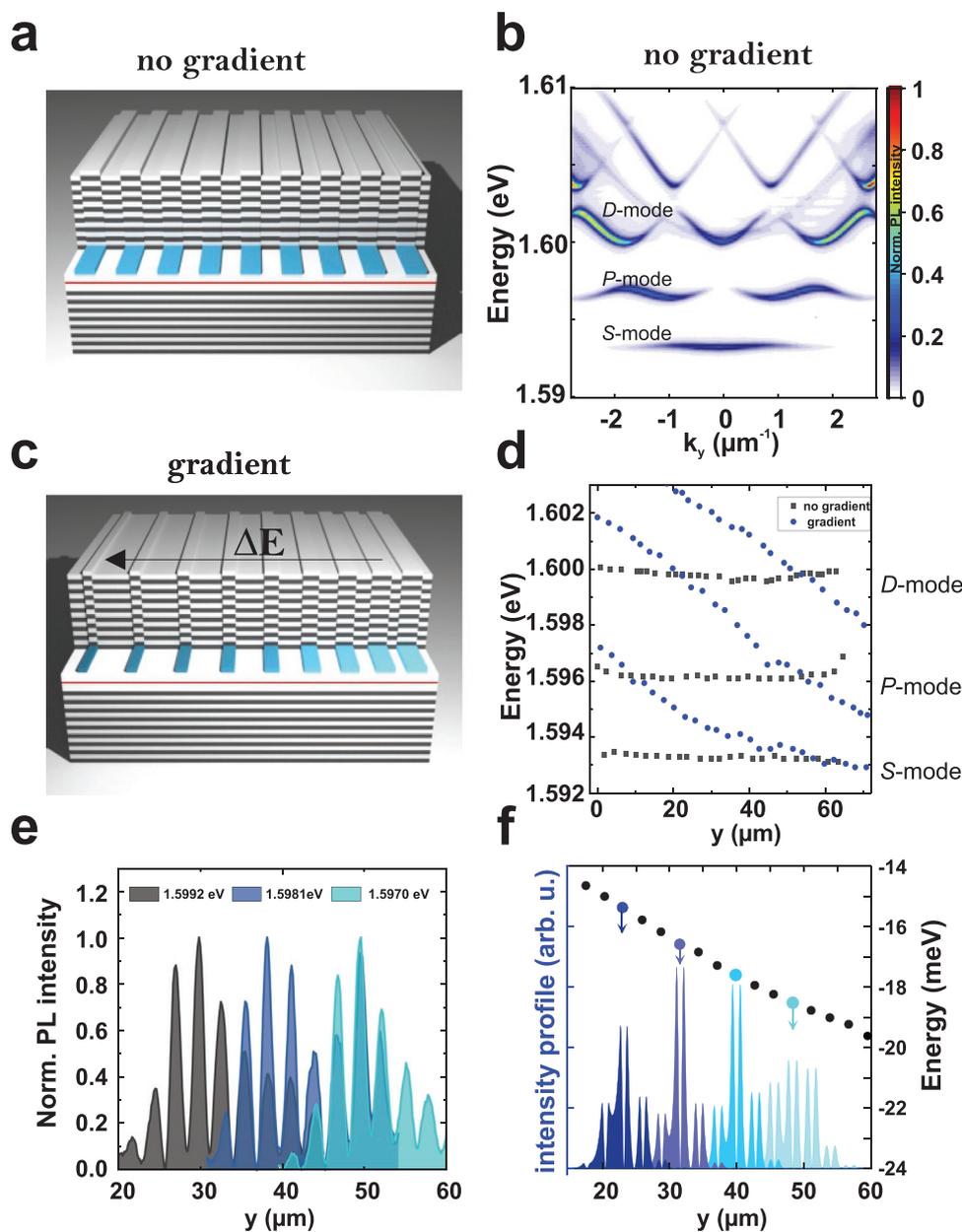


Figure 2. a,c) Rendered schematics of waveguide arrays under investigation. While (a) has constant waveguide widths, (c) has an engineered energy gradient in the y -direction, by adjusting the waveguide widths. In (b) the dispersion along the k_y direction of the homogeneous waveguide array (a) is depicted by a momentum-resolved energy spectrum. Measured spatially-resolved energy spectra of both arrays are presented in (d). Each waveguide mode gives rise to the formation of a flat band in case of the homogeneous (a) and of a ladder like structure - the so-called Wannier–Stark ladder - in case of the inhomogeneous (c) array. e,f) Experimentally (e) and numerically (f) determined y -dependent spatial distributions of Wannier–Stark states with different energies along the y -direction. f) Theoretical calculations of different Wannier states inside the gradient-engineered waveguide array (d).

of resulting Bloch oscillations. It is worth pointing out, that the experimental images are limited by the finite spatial resolution of the setup, which does not allow us to resolve the P-mode profile (see Figure 2f). Besides, our array is slightly spatially inhomogeneous due to the varying width of the waveguides resulting in an artificial compression or stretching of respective field profiles. A certain spread of wave vectors in propagation direction x causes an additional blurring. Keeping these experimental limitations in mind, there is nonetheless a very good agreement between the experimentally determined Wannier states

and the theoretical model. The induced gradient of the P-mode can be fitted to roughly $260 \mu\text{eV}$ per guide or $\sim 100 \mu\text{eV} \mu\text{m}^{-1}$, approximately two orders of magnitude larger than the gradient naturally occurring in the epitaxial microcavity growth.^[35]

5. Optical Study of Polariton Bloch Oscillations

In order to study polariton flow in the waveguide array, the sample was excited with a focused laser spot. When the power

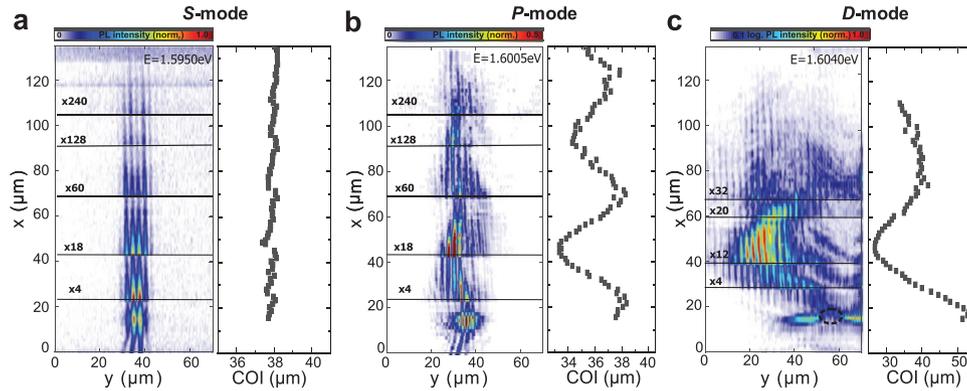


Figure 3. a) Energy-resolved emission of a *S*-mode condensate propagating along the waveguide array with a gradient but without sufficient coupling to other waveguides, with the corresponding COI. b) Propagating *P*-mode polariton condensate showing a clear oscillation in the y -direction. Its COI highlights the oscillation with a period of $\approx 50 \mu\text{m}$. c) Energy-resolved emission of a *D*-mode propagating in an arch like pattern, underlined by the COI. Note that the waveguide array begins at $x = 10 \mu\text{m}$.

is increased, a distinct condensation threshold is reached at $P_{\text{th}} = 3 \text{ kW cm}^{-2}$. Due to the interaction-induced blue shift caused by their excitonic fraction, polaritons are expelled from the excitation spot due to Coulomb interactions. This can be verified by a localized blue shift at the excitation spot accompanied by outflowing polaritons with a finite momentum along the waveguide direction.^[34,36] In **Figure 3a–c**, propagating condensates originating from the *S*-, *P*- and *D*-modes are depicted. The images were obtained by plotting the PL at respective energies $E_S = 1.5950\text{eV}$, $E_P = 1.6005\text{eV}$, and $E_D = 1.6040\text{eV}$. Note that, due to the blue shift induced by the condensate, the respective energies are upshifted by about 2.5 meV compared with the data displayed in Figure 2d. For the *S* and *P*-modes, the array was excited in the center, while for Figure 3c the laser was shifted to the indicated position (see dashed black circle). Due to the dissipative nature of the polaritons, the PL signal in Figure 3a–c had to be attenuated using a neutral-density filter to show the propagation along the entire structure. To analyze the intensity distribution we define the center of intensity (COI) described by:

$$\text{COI}(x) = \frac{\sum_y I_{x,y} \cdot y}{\sum_y I_{x,y}} \quad (1)$$

along the propagation direction. Here, x and y corresponds to the spatial position, and $I_{x,y}$ to the intensity of a given pixel. In Figure 3a, the condensate spreads only sparsely to the neighboring waveguides in y -direction and shows almost no oscillations. This behavior is no surprise as the *S*-mode is subject to the strongest confinement, resulting in a vanishing coupling to adjacent waveguides. Therefore the width of the propagating condensate of a few waveguides is dominated by the size of the excitation spot. Consequentially, for the *S*-mode the COI results in almost a straight line. Opposed to the *S*-mode, the *P*-mode depicted in Figure 3b unequivocally shows an oscillation in the y -direction, perpendicular to the direction of motion. The COI highlights this behavior and allows to determine an oscillation amplitude $A = 2.7 \mu\text{m}$. Hence, about three waveguides are involved in the oscillation which is in agreement with the extension of Wannier–Stark states displayed in Figure 2e,f. The observed period of oscillations of $l_\lambda \approx 50 \mu\text{m}$ together with

the energy spacing per guide, displayed in Figure 2d, hints to a speed of the propagating *P*-mode condensate of roughly $\sim 3.1 \times 10^6 \text{ m s}^{-1}$.

While the engineered gradient is similar for all photonic bands (see Figure 2d), the coupling increases with the photonic band energy, due to lower confinement of respective Bloch modes. Consequently the elongation of *P*-mode Bloch oscillations increases. In the experiment, we simultaneously excited two to three waveguides and consequently the resulting condensate covers only the central part of the Brillouin zone. This is the situation displayed in Figure 1d and different from the point-like excitation displayed in Figure 1c. The latter one corresponds to a simultaneous excitation of all Bloch waves of the array including those having a negative effective mass and thus initially moving opposite to the direction of the gradient. If the coupling is increased even further by switching to *D*-modes, an oscillation pattern with much larger amplitude of $A = 11 \mu\text{m}$ and oscillation period $l_\lambda \approx 65 \mu\text{m}$ is observed which hints to a slightly higher speed of the *D*-mode condensate of $4.1 \times 10^6 \text{ m s}^{-1}$.

These results demonstrate that for sufficient coupling between the waveguides while a sizeable gradient perpendicular to the direction of motion is present, the polaritons undergo distinct Bloch oscillations.

6. Numerical Study of Bloch Oscillations Using a Modified Gross–Pitaevskii Model

To underpin these experimental results, we performed numerical calculations of exciton-polariton dynamics in semiconductor microcavities. Neglecting polarization effects one obtains two coupled Schrödinger equations for the intracavity photonic field Ψ_c and coherent excitons Ψ_e ^[14,17] given as

$$\begin{aligned} \partial_t \Psi_c - \frac{i\hbar}{2m_c} \nabla_{x,y}^2 \Psi_c + iV(y)\Psi_c \\ + [\gamma_c - i\Delta_c] \Psi_c = i\Omega_R \Psi_e + E(x,y)e^{ik_p x} \end{aligned} \quad (2)$$

$$\partial_t \Psi_e - \frac{i\hbar}{2m_{ex}} \nabla_{x,y}^2 \Psi_e + [\gamma_e - i\Delta_e] \Psi_e = i\Omega_R \Psi_c \quad (3)$$

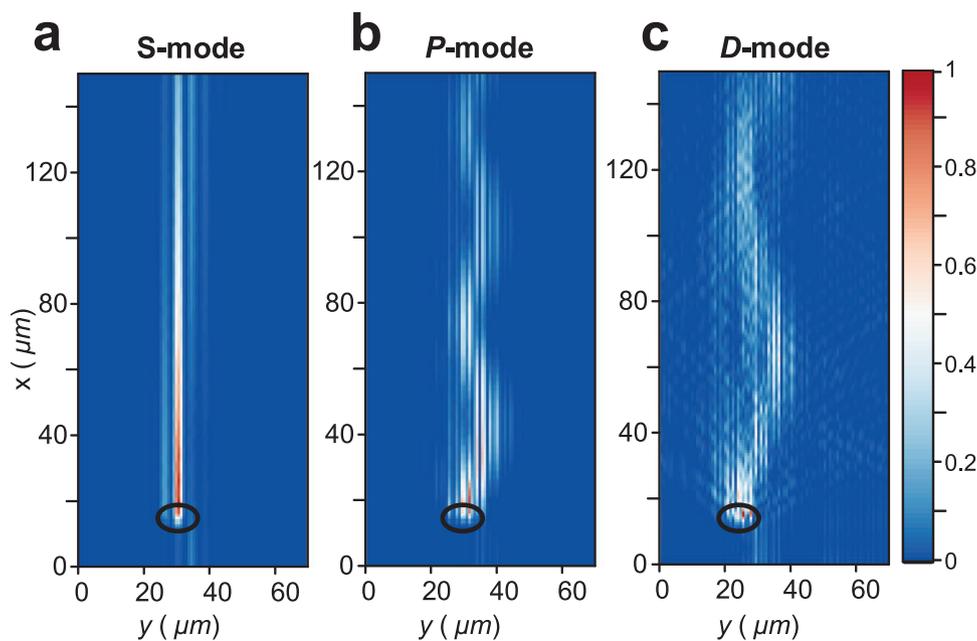


Figure 4. Simulated propagation of a condensate excited in an array with a potential landscape with an increasing width of waveguides in y -direction. a) Excitation of S-modes of three neighboring waveguides by a coherent pump of momenta $k_p = 2 \mu\text{m}^{-1}$ and frequency equivalent energy $\hbar\Delta_e = -15 \text{ meV}$. A negligible coupling to the neighboring waveguides can be observed, leaving the main part of signal on the center waveguide. b) By exciting multiple waveguides in the P-mode the condensate undergoes periodic behavior along the y -axis, since the coupling within the P-band is sufficient. c) Multiple excitation of the D-modes of the array by a coherent pump of momenta $k_p = 2 \mu\text{m}^{-1}$ and frequency equivalent energy $\hbar\Delta_e = -9 \text{ meV}$.

The complex amplitudes Ψ_c and Ψ_e are obtained by averaging related creation or annihilation operators. The effective photon mass in the planar region is given by $m_c = 42.33 \times 10^{-6} m_e$ where m_e is the free electron mass. The effective mass of excitons $m_{\text{ex}} \approx 10^5 m_c$ is so high that independent exciton propagation can be neglected. The coupling strength between intracavity photons and excitons Ω_R defines the Rabi splitting $2\hbar\Omega_R = 11.5 \text{ meV}$. The parameters $\Delta_{c,e} = \omega_p - \omega_{c,e}$ account for the frequency detunings of the operating frequency ω_p from the cavity ω_c and excitonic ω_e resonances, respectively. Then the exciton photon detuning of the device is given by $\hbar\omega_c - \hbar\omega_e = \hbar\Delta_e - \hbar\Delta_c = -15.9 \text{ meV}$. $\gamma_c = \gamma_e = 0.01 \text{ meV}$ are the cavity photon and exciton damping constants. An external photonic potential $V(x, y)$ defines the waveguide geometry induced by structuring of the planar microcavity. In our modeling, a separate waveguide profile of the array is given by a super-Gauss $V(y) = V_0(1 - \exp(-y^{24}/s^{24}))$ with the potential depth $\hbar V_0 = 6 \text{ meV}$ and waveguide width $2s$.

Within the modeling, we skip details of condensation dynamics and focus on the propagation of polaritons in the waveguide array. Therefore, the initial condensate with a well defined frequency and momentum is artificially launched by a localized coherent pump term $E_p(x, y)$ with a frequency ω_p and with a momentum k_p . **Figure 4** shows the results of numerical simulations of polariton propagation dynamics in the potential landscape closely related to the experimental configuration. The appropriate choice of the momentum of the launched beam (k_p) allows for a direct excitation of the desired waveguide mode. Similar to the experimental results discussed above, exciton-polaritons launched into the S-mode do not couple to neighboring waveguides, thus keeping their energy

in the excitation guides (see **Figure 4a**). In contrast, typical Bloch oscillation dynamics occurs after excitation of a higher waveguide mode (P-mode), as it is shown in **Figure 4b**. Even more pronounced periodic motion of the wave packets can be recognized for an excitation of (D-modes) as demonstrated in **Figure 4c** in full agreement with the experiments displayed in **Figure 3**.

7. Momentum Distributions of Bloch Oscillations: Experiment and Theory

The characteristic sweeping over the whole Brillouin zone during the Bloch oscillations can be illustrated by performing a spatial Fourier transformation of the propagating polariton field emitted from the cavity. In **Figure 5a** we show the experimental momentum distribution of the condensate in y -direction for different positions along the propagation direction x , which corresponds to the far field of the field distribution displayed **Figure 3b**. In order to directly image the dispersion, a slice of the real space image was cut out by an optical aperture, that was mounted on a motorized stage to tune the x -position. Next, the resulting slice of the optical field was imaged to infinity corresponding to a spatial Fourier transformation. Finally the energy of the mode of interest was selected using the monochromator. While experimental and numerical data agree very well (see **Figure 5a,b**), one has to mention that the displayed images are not a one-to-one illustration of the occupation of the Brillouin zone. First, we image the zeroth and the \pm first diffracted order corresponding to a three time repetition of the periodic Brillouin zone the boundaries of which are marked by

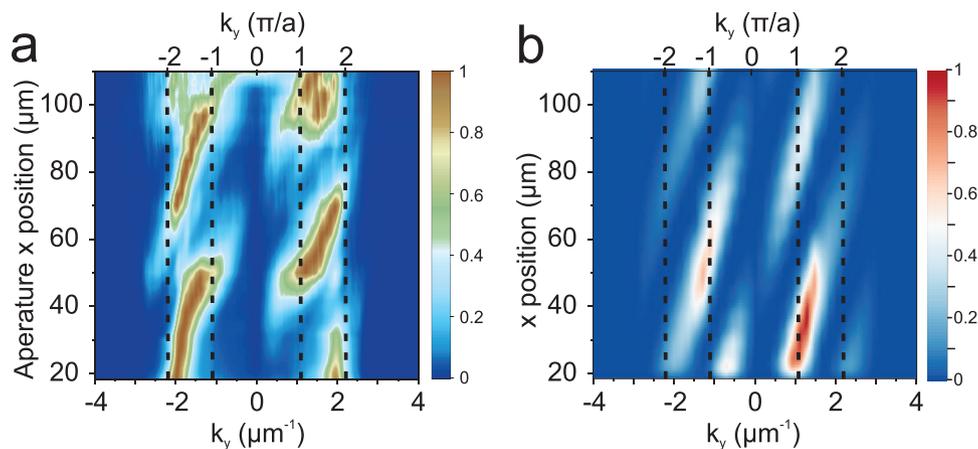


Figure 5. a,b) k_y dispersion of the propagating condensate at various spatial positions. The periodic change of the wavevector as well as the characteristic Bragg reflection at the edge of the Brillouin zone (black dashed lines) is shown for the P-mode oscillation of Figure 3b, at $E_p = 1.6005$ eV, experimentally (a) and the theoretical calculation of Figure 4b in (b), respectively. The Brillouin zone is given by π/a , with $a = 2.8$ μm .

black dashed lines. Second, the whole image is overlaid with the Fourier transform of the P-mode profile, covering the whole displayed Fourier space. Note, that it has a zero in its center thus rendering the lowest order Brillouin zone almost invisible as well as being limited by the dispersion of the cavity for higher wave vectors. Nonetheless, the expected dynamics of the momentum are clearly visible.

During propagation the wavevector of the P-mode shifts toward positive k_y . Hence, due to the action of the gradient the field gains momentum before undergoing a Bragg reflection at the edge of the Brillouin zone. The latter process causes the beam to deflect back thus performing a Bloch oscillation. This characteristic behavior has been directly imaged in cold atoms in 1D optical lattices before^[37] and now unambiguously supports the demonstration of Bloch oscillation in a polaritonic quantum fluid of light. Consistently, the numerical simulation shown in Figure 5b of our system agrees and underlines our results.

8. Conclusion

In conclusion, we demonstrated the first Bloch oscillations of a propagating exciton-polariton condensate in a waveguide array. By using an etch-and-overgrowth approach we are able not only to create a sufficient coupling between the physically separate waveguides, but also to induce a potential gradient for the quantum fluid. This approach allows for highly tunable system parameters such as waveguide width and coupling strength, laying the foundation for future experiments requiring precise system control, for example Zener tunneling or effects in parity-time (PT) symmetric potentials, involving gain and loss. In addition to that, this work opens the way toward the implementation of other physical effects like self-localization,^[38–41] implementation of Floquet theory^[42–44] as well as topological protection^[45–50] in a driven-dissipative waveguide system featuring strong interactions as well as a large nonlinearity. The unique versatility of the polariton system has also allowed us to monitor Bloch oscillations in real and momentum space simultaneously. By spectrally resolved imaging, we could

directly demonstrate the connection between Bloch oscillations and the presence of equally spaced eigenstates – the Wannier–Stark ladder.

Supporting Information

Supporting Information is available from the Wiley Online Library or from the author.

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Conflict of Interest

The authors declare no conflict of interest.

Data Availability Statement

Research data are not shared.

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